

COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS

MASTERING INVERSE FUNCTIONS: YOUR COLLEGE ALGEBRA GRAPHING CALCULATOR GUIDE

COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS IS AN INDISPENSABLE TOOL FOR STUDENTS NAVIGATING THE OFTEN-COMPLEX WORLD OF INVERSE RELATIONSHIPS. UNDERSTANDING HOW TO REPRESENT AND ANALYZE THESE FUNCTIONS GRAPHICALLY CAN SIGNIFICANTLY DEMYSTIFY THE PROCESS, TRANSFORMING ABSTRACT CONCEPTS INTO VISUAL, TANGIBLE REPRESENTATIONS. THIS COMPREHENSIVE GUIDE WILL WALK YOU THROUGH THE ESSENTIAL STEPS AND CONSIDERATIONS FOR EFFECTIVELY UTILIZING YOUR GRAPHING CALCULATOR TO EXPLORE AND GRAPH INVERSE FUNCTIONS, INCLUDING UNDERSTANDING THE CORE PRINCIPLES, PRACTICAL CALCULATOR TECHNIQUES, AND COMMON PITFALLS TO AVOID. WE'LL DELVE INTO HOW THESE POWERFUL DEVICES CAN HELP YOU IDENTIFY DOMAIN AND RANGE RESTRICTIONS, VISUALIZE THE REFLECTION ACROSS THE LINE $y=x$, AND CONFIRM THE INVERSE RELATIONSHIP THROUGH GRAPHICAL ANALYSIS.

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UNDERSTANDING INVERSE FUNCTIONS

AT ITS HEART, AN INVERSE FUNCTION "UNDOES" WHAT THE ORIGINAL FUNCTION DOES. IF A FUNCTION f TAKES AN INPUT x AND PRODUCES AN OUTPUT y (I.E., $f(x) = y$), THEN ITS INVERSE FUNCTION, DENOTED AS $f^{-1}(x)$, TAKES THAT OUTPUT y AND RETURNS THE ORIGINAL INPUT x (I.E., $f^{-1}(y) = x$). THINK OF IT LIKE A KEY AND A LOCK. THE ORIGINAL FUNCTION IS THE LOCK, AND THE INVERSE FUNCTION IS THE SPECIFIC KEY THAT OPENS IT. THIS CONCEPT IS FUNDAMENTAL IN VARIOUS AREAS OF MATHEMATICS, FROM SOLVING EQUATIONS TO ANALYZING TRANSFORMATIONS.

A CRUCIAL ASPECT OF INVERSE FUNCTIONS IS THEIR RELATIONSHIP WITH DOMAIN AND RANGE. FOR AN INVERSE FUNCTION TO EXIST, THE ORIGINAL FUNCTION MUST BE ONE-TO-ONE. THIS MEANS THAT EACH OUTPUT (y -VALUE) CORRESPONDS TO EXACTLY ONE INPUT (x -VALUE). IF A FUNCTION FAILS THE HORIZONTAL LINE TEST (MEANING A HORIZONTAL LINE INTERSECTS ITS GRAPH MORE THAN ONCE), IT'S NOT ONE-TO-ONE, AND ITS INVERSE WON'T BE A FUNCTION UNLESS WE RESTRICT ITS DOMAIN. WHEN WE SWITCH THE ROLES OF x AND y TO FIND THE INVERSE, THE DOMAIN OF THE ORIGINAL FUNCTION BECOMES THE RANGE OF THE INVERSE FUNCTION, AND THE RANGE OF THE ORIGINAL FUNCTION BECOMES THE DOMAIN OF THE INVERSE FUNCTION. THIS INTERDEPENDENCY IS VITAL FOR CORRECT ANALYSIS.

THE ROLE OF THE GRAPHING CALCULATOR

A COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS IS FAR MORE THAN JUST A DIGITAL NOTEPAD; IT'S A DYNAMIC VISUAL AID. IT ALLOWS US TO SEE THE ABSTRACT CONCEPT OF AN INVERSE FUNCTION COME TO LIFE ON THE SCREEN. INSTEAD OF PAINSTAKINGLY PLOTTING POINTS BY HAND, A GRAPHING CALCULATOR CAN GENERATE ACCURATE VISUAL REPRESENTATIONS OF FUNCTIONS AND THEIR INVERSES IN MERE SECONDS. THIS IMMEDIATE FEEDBACK LOOP IS INVALUABLE FOR BUILDING INTUITION AND UNDERSTANDING THE GEOMETRIC PROPERTIES OF INVERSE FUNCTIONS, SUCH AS THEIR SYMMETRY.

FURTHERMORE, GRAPHING CALCULATORS PROVIDE A POWERFUL WAY TO CHECK OUR WORK. AFTER ALGEBRAICALLY FINDING THE POTENTIAL INVERSE OF A FUNCTION, WE CAN USE THE CALCULATOR TO GRAPH BOTH THE ORIGINAL FUNCTION AND ITS PROPOSED INVERSE SIMULTANEOUSLY. THIS VISUAL COMPARISON HELPS US CONFIRM IF THEY ARE INDEED INVERSES BY OBSERVING

THEIR REFLECTION ACROSS THE LINE $Y=X$ AND CHECKING IF THEIR COMPOSITIONS RESULT IN THE IDENTITY FUNCTION ($f(f^{-1}(x)) = x$ AND $f^{-1}(f(x)) = x$).

GRAPHING INVERSE FUNCTIONS STEP-BY-STEP

THE PROCESS OF GRAPHING INVERSE FUNCTIONS USING YOUR COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS TYPICALLY INVOLVES A FEW KEY STEPS, WHETHER YOU'RE DERIVING THE INVERSE ALGEBRAICALLY FIRST OR DIRECTLY VISUALIZING THE RELATIONSHIP. THE MOST FUNDAMENTAL METHOD RELIES ON THE GEOMETRIC PROPERTY THAT THE GRAPH OF AN INVERSE FUNCTION IS A REFLECTION OF THE ORIGINAL FUNCTION'S GRAPH ACROSS THE LINE $Y=X$.

FIRST, YOU'LL NEED TO INPUT YOUR ORIGINAL FUNCTION INTO THE CALCULATOR'S $Y=$ EDITOR. FOR EXAMPLE, IF YOUR FUNCTION IS $f(x) = 2x + 3$, YOU WOULD ENTER " $2X+3$ " INTO $Y1$. NEXT, YOU NEED TO GRAPH THE LINE $Y=X$. THIS LINE SERVES AS YOUR MIRROR. YOU CAN TYPICALLY ENTER THIS INTO ANOTHER Y -EDITOR SLOT, LIKE $Y2=X$. VISUALLY, YOU SHOULD SEE YOUR ORIGINAL FUNCTION'S GRAPH AND THE LINE $Y=X$.

TO GRAPH THE ACTUAL INVERSE WITHOUT EXPLICITLY FINDING ITS EQUATION FIRST, MANY CALCULATORS OFFER A SPECIFIC FUNCTION. ON TI CALCULATORS, FOR INSTANCE, YOU CAN OFTEN FIND THIS COMMAND UNDER THE 'DRAW' MENU, SPECIFICALLY '8:DrawInv'. IF YOU SELECT 'DrawInv' AND THEN SPECIFY $Y1$ (THE EQUATION OF YOUR ORIGINAL FUNCTION), THE CALCULATOR WILL AUTOMATICALLY GRAPH ITS INVERSE. THIS IS AN INCREDIBLY POWERFUL FEATURE THAT BYPASSES THE ALGEBRAIC DERIVATION FOR QUICK VISUALIZATION.

ALTERNATIVELY, IF YOU'VE ALREADY FOUND THE ALGEBRAIC FORM OF THE INVERSE, SAY $f^{-1}(x) = (x-3)/2$, YOU WOULD ENTER THIS INTO ANOTHER Y -EDITOR SLOT, PERHAPS $Y3=(X-3)/2$. THEN, BY GRAPHING $Y1$, $Y2$, AND $Y3$ TOGETHER, YOU CAN VISUALLY INSPECT WHETHER $Y3$ TRULY REFLECTS $Y1$ ACROSS $Y2$. THIS METHOD ALLOWS FOR CONFIRMATION OF YOUR ALGEBRAIC MANIPULATIONS.

KEY CALCULATOR FEATURES FOR INVERSE FUNCTIONS

MODERN COLLEGE ALGEBRA GRAPHING CALCULATORS FOR GRAPHING INVERSE FUNCTIONS COME EQUIPPED WITH FEATURES DESIGNED TO STREAMLINE THE PROCESS OF WORKING WITH INVERSE FUNCTIONS. UNDERSTANDING THESE CAPABILITIES CAN SIGNIFICANTLY ENHANCE YOUR EFFICIENCY AND COMPREHENSION.

- **SIMULTANEOUS GRAPHING:** THE ABILITY TO GRAPH MULTIPLE FUNCTIONS AT ONCE IS PARAMOUNT. THIS ALLOWS YOU TO SEE THE ORIGINAL FUNCTION, THE LINE $Y=X$, AND ITS INVERSE ALL ON THE SAME SCREEN FOR DIRECT COMPARISON.
- **'DrawInv' COMMAND:** AS MENTIONED, THIS DEDICATED FUNCTION (COMMON ON TEXAS INSTRUMENTS CALCULATORS) AUTOMATICALLY GENERATES THE GRAPH OF THE INVERSE OF A FUNCTION YOU'VE ALREADY ENTERED. THIS IS A HUGE TIME-SAVER AND A FANTASTIC TOOL FOR EXPLORATION.
- **TRACE AND TABLE FUNCTIONS:** THE TRACE FEATURE ALLOWS YOU TO MOVE A CURSOR ALONG A GRAPH AND SEE THE X AND Y COORDINATES OF POINTS. WHEN COMPARING AN INVERSE PAIR, YOU CAN OBSERVE HOW SWAPPING X AND Y VALUES BETWEEN THE ORIGINAL FUNCTION AND ITS INVERSE GRAPHICALLY DEMONSTRATES THEIR RELATIONSHIP. THE TABLE FUNCTION PROVIDES A NUMERICAL LISTING OF THESE POINTS, FURTHER REINFORCING THE INVERSE RELATIONSHIP.
- **DOMAIN AND RANGE ADJUSTMENTS:** BEING ABLE TO SET SPECIFIC VIEWING WINDOWS (ZOOM SETTINGS) AND ADJUST THE X_{MIN} , X_{MAX} , Y_{MIN} , AND Y_{MAX} VALUES IS CRITICAL. THIS IS ESPECIALLY IMPORTANT WHEN DEALING WITH FUNCTIONS THAT HAVE DOMAIN RESTRICTIONS, AS YOU'LL NEED TO ENSURE YOUR GRAPH ACCURATELY DISPLAYS ONLY THE RELEVANT PORTIONS OF THE FUNCTION AND ITS INVERSE.
- **ALGEBRAIC SOLVER/EQUATION EDITOR:** WHILE THE FOCUS HERE IS ON GRAPHING, THE CALCULATOR'S ABILITY TO INPUT AND MANIPULATE ALGEBRAIC EXPRESSIONS IS THE FOUNDATION FOR FINDING THE INVERSE EQUATION.

COMMON CHALLENGES AND HOW TO OVERCOME THEM

EVEN WITH A POWERFUL COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS, STUDENTS OFTEN ENCOUNTER COMMON HURDLES. RECOGNIZING THESE CHALLENGES IN ADVANCE CAN HELP YOU NAVIGATE THEM MORE EFFECTIVELY.

ONE FREQUENT ISSUE IS UNDERSTANDING THE CONCEPT OF ONE-TO-ONE FUNCTIONS. IF YOU ATTEMPT TO GRAPH THE INVERSE OF A FUNCTION THAT FAILS THE HORIZONTAL LINE TEST WITHOUT RESTRICTING ITS DOMAIN, THE 'DRAWINV' COMMAND MIGHT PRODUCE A GRAPH THAT ISN'T TECHNICALLY A FUNCTION (IT MIGHT FAIL THE VERTICAL LINE TEST). THE SOLUTION HERE IS TO IDENTIFY THE PART OF THE ORIGINAL FUNCTION THAT IS ONE-TO-ONE AND RESTRICT ITS DOMAIN ACCORDINGLY BEFORE FINDING OR GRAPHING ITS INVERSE. THIS OFTEN INVOLVES LOOKING AT THE FUNCTION'S GRAPH AND DECIDING WHICH SECTION TO KEEP BASED ON THE PROBLEM'S REQUIREMENTS OR LOGICAL BREAKS IN THE GRAPH.

ANOTHER PITFALL IS ALGEBRAIC ERRORS WHEN DERIVING THE INVERSE. IF YOUR CALCULATED INVERSE EQUATION IS INCORRECT, NO AMOUNT OF GRAPHING WILL SHOW THE CORRECT RELATIONSHIP. ALWAYS DOUBLE-CHECK YOUR ALGEBRAIC STEPS, ESPECIALLY WHEN DEALING WITH EXPONENTS, ROOTS, OR FRACTIONS. GRAPHING BOTH YOUR ORIGINAL FUNCTION AND YOUR DERIVED INVERSE IS THE BEST WAY TO CATCH THESE ALGEBRAIC MISTAKES. IF THEY DON'T REFLECT ACROSS $y=x$, SOMETHING IS WRONG WITH YOUR ALGEBRA.

CONFUSING THE ORIGINAL FUNCTION WITH ITS INVERSE IS ALSO COMMON. USING DIFFERENT Y-EDITOR SLOTS FOR EACH AND LABELING THEM CLEARLY IN YOUR MIND (OR ON PAPER) CAN PREVENT THIS. FURTHERMORE, ENSURE YOUR CALCULATOR'S WINDOW SETTINGS ARE APPROPRIATE TO SEE THE FULL BEHAVIOR OF BOTH FUNCTIONS AND THE LINE $y=x$. SOMETIMES, THE INVERSE RELATIONSHIP IS ONLY APPARENT WHEN VIEWED IN A SPECIFIC ZOOM RANGE.

VERIFYING INVERSE RELATIONSHIPS GRAPHICALLY

THE ULTIMATE TEST OF WHETHER TWO FUNCTIONS ARE INDEED INVERSES LIES IN THEIR GRAPHICAL RELATIONSHIP AND THEIR COMPOSITIONAL BEHAVIOR. YOUR COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS IS THE PERFECT TOOL FOR THIS VERIFICATION PROCESS.

THE MOST VISUALLY INTUITIVE METHOD IS TO GRAPH BOTH THE ORIGINAL FUNCTION, $f(x)$, AND ITS PROPOSED INVERSE, $f^{-1}(x)$, ALONG WITH THE LINE $y=x$. IF $f^{-1}(x)$ IS TRULY THE INVERSE OF $f(x)$, THE GRAPH OF $f^{-1}(x)$ WILL BE A PERFECT REFLECTION OF THE GRAPH OF $f(x)$ ACROSS THE LINE $y=x$. THIS MEANS THAT FOR EVERY POINT (a, b) ON THE GRAPH OF $f(x)$, THE POINT (b, a) MUST BE ON THE GRAPH OF $f^{-1}(x)$. OBSERVING THIS SYMMETRY ON YOUR CALCULATOR SCREEN IS A STRONG INDICATOR OF A CORRECT INVERSE.

BEYOND VISUAL INSPECTION, YOU CAN USE THE CALCULATOR'S ABILITY TO EVALUATE FUNCTION COMPOSITIONS. MOST GRAPHING CALCULATORS ALLOW YOU TO DEFINE FUNCTIONS USING VARIABLES THAT REFERENCE OTHER FUNCTIONS. FOR EXAMPLE, IF YOU HAVE $f(x)$ IN $Y1$ AND $f^{-1}(x)$ IN $Y2$, YOU CAN CREATE A NEW FUNCTION, SAY $Y3$, BY INPUTTING ' $Y3=Y1(Y2(X))$ '. THIS REPRESENTS THE COMPOSITION $f(f^{-1}(x))$. IF $Y3$ GRAPHS AS THE HORIZONTAL LINE $y=x$, THEN YOUR INVERSE IS CONFIRMED FOR THE DOMAIN WHERE THIS COMPOSITION IS DEFINED. YOU SHOULD PERFORM THE SAME TEST FOR $f^{-1}(f(x))$. IF BOTH COMPOSITIONS RESULT IN THE LINE $y=x$, YOU HAVE MATHEMATICALLY AND GRAPHICALLY VERIFIED THAT THE FUNCTIONS ARE INVERSES.

ADVANCED TIPS FOR GRAPHING CALCULATOR MASTERY

TO TRULY LEVERAGE YOUR COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS, CONSIDER THESE ADVANCED TECHNIQUES. THEY CAN HELP YOU TACKLE MORE COMPLEX PROBLEMS AND GAIN DEEPER INSIGHTS.

WHEN DEALING WITH FUNCTIONS THAT REQUIRE DOMAIN RESTRICTIONS TO BE ONE-TO-ONE, LEARN HOW TO USE THE CALCULATOR'S 'TABLE' SET-UP FEATURE TO DEFINE THE START AND INCREMENT FOR YOUR X-VALUES. THIS ALLOWS YOU TO EASILY GENERATE DATA POINTS ONLY WITHIN THE SPECIFIED RESTRICTED DOMAIN. SIMILARLY, EXPLORE THE 'WINDOW' SETTINGS THOROUGHLY. UNDERSTANDING HOW TO SET 'XMIN', 'XMAX', 'XSCL', 'YMIN', 'YMAX', AND 'YSCL' PRECISELY WILL ENSURE YOU'RE NOT MISSING CRUCIAL PARTS OF THE GRAPHS OR MISINTERPRETING THEIR RELATIONSHIPS.

FOR PIECEWISE FUNCTIONS, YOU'LL NEED TO INPUT EACH PIECE SEPARATELY USING THE '()' PARENTHESES TO ENSURE CORRECT ORDER OF OPERATIONS AND POTENTIALLY USE THE 'IF-THEN' COMMAND (OFTEN FOUND IN THE 'TEST' OR 'LOGIC' MENUS) TO GRAPH ONLY SPECIFIC SEGMENTS OF THE FUNCTION AND ITS INVERSE. THIS REQUIRES A GOOD UNDERSTANDING OF HOW TO TRANSLATE THE CONDITIONS OF THE PIECEWISE DEFINITION INTO CALCULATOR SYNTAX.

FINALLY, PRACTICE USING THE CALCULATOR'S SYMBOLIC SOLVER OR EQUATION MANIPULATION FEATURES (IF AVAILABLE) TO ASSIST WITH ALGEBRAIC STEPS. WHILE MANUAL CALCULATION IS IMPORTANT FOR UNDERSTANDING, THESE TOOLS CAN HELP CATCH ERRORS AND SPEED UP THE PROCESS, ALLOWING YOU MORE TIME TO FOCUS ON THE GRAPHICAL INTERPRETATION AND CONCEPTUAL UNDERSTANDING OF INVERSE FUNCTIONS.

FAQ

Q: WHAT IS THE MOST FUNDAMENTAL PROPERTY TO LOOK FOR WHEN GRAPHICALLY VERIFYING INVERSE FUNCTIONS ON A CALCULATOR?

A: THE MOST FUNDAMENTAL PROPERTY IS SYMMETRY. THE GRAPH OF THE INVERSE FUNCTION IS A REFLECTION OF THE ORIGINAL FUNCTION'S GRAPH ACROSS THE LINE $y=x$. YOUR COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS WILL CLEARLY SHOW THIS MIRRORING IF THE FUNCTIONS ARE INDEED INVERSES.

Q: HOW CAN MY GRAPHING CALCULATOR HELP ME DETERMINE IF A FUNCTION IS ONE-TO-ONE?

A: YOU CAN USE YOUR GRAPHING CALCULATOR TO APPLY THE HORIZONTAL LINE TEST VISUALLY. BY GRAPHING THE FUNCTION AND THEN MENTALLY (OR BY DRAWING ON THE SCREEN IF YOUR CALCULATOR ALLOWS) SUPERIMPOSING HORIZONTAL LINES, YOU CAN SEE IF ANY HORIZONTAL LINE INTERSECTS THE GRAPH MORE THAN ONCE. IF IT DOES, THE FUNCTION IS NOT ONE-TO-ONE AND MAY REQUIRE DOMAIN RESTRICTION FOR AN INVERSE FUNCTION TO EXIST.

Q: WHAT DOES IT MEAN WHEN THE 'DRAWINV' FUNCTION ON MY CALCULATOR PRODUCES A GRAPH THAT FAILS THE VERTICAL LINE TEST?

A: THIS INDICATES THAT THE ORIGINAL FUNCTION YOU ENTERED WAS NOT ONE-TO-ONE OVER ITS ENTIRE DOMAIN. THE 'DRAWINV' COMMAND ATTEMPTED TO GRAPH THE INVERSE, BUT BECAUSE THE ORIGINAL FUNCTION HAD MULTIPLE X-VALUES MAPPING TO THE SAME Y-VALUE, ITS "INVERSE" WILL HAVE MULTIPLE Y-VALUES MAPPING TO THE SAME X-VALUE, THUS FAILING THE VERTICAL LINE TEST AND NOT BEING A TRUE FUNCTION.

Q: CAN I USE MY COLLEGE ALGEBRA GRAPHING CALCULATOR FOR GRAPHING INVERSE FUNCTIONS TO CHECK THE DOMAIN AND RANGE OF THE INVERSE?

A: ABSOLUTELY. AFTER GRAPHING THE ORIGINAL FUNCTION AND ITS INVERSE, YOU CAN USE THE CALCULATOR'S 'TRACE' OR 'TABLE' FUNCTIONS TO OBSERVE THE X-VALUES (DOMAIN) AND Y-VALUES (RANGE) THAT ARE ACTUALLY PLOTTED FOR BOTH FUNCTIONS. REMEMBER THAT THE DOMAIN OF THE ORIGINAL FUNCTION BECOMES THE RANGE OF THE INVERSE, AND VICE VERSA. YOUR CALCULATOR'S GRAPHING WINDOW HELPS VISUALIZE THESE BOUNDARIES.

Q: WHAT IS THE SIGNIFICANCE OF GRAPHING THE LINE $Y=X$ WHEN WORKING WITH INVERSE FUNCTIONS ON A CALCULATOR?

A: THE LINE $Y=X$ ACTS AS THE MIRROR FOR THE REFLECTION. WHEN YOU GRAPH AN ORIGINAL FUNCTION AND ITS INVERSE, THEY SHOULD BE MIRROR IMAGES OF EACH OTHER ACROSS THIS LINE. SEEING ALL THREE – THE ORIGINAL FUNCTION, ITS INVERSE, AND THE LINE $Y=X$ – ON THE SAME SCREEN IS CRUCIAL FOR VISUAL VERIFICATION.

Q: HOW DO I INPUT THE EQUATION OF AN INVERSE FUNCTION IF MY CALCULATOR DOESN'T HAVE A 'DRAWINV' COMMAND?

A: FIRST, YOU'LL NEED TO ALGEBRAICALLY FIND THE EQUATION OF THE INVERSE FUNCTION BY SWAPPING X AND Y AND SOLVING FOR Y . ONCE YOU HAVE THE EQUATION FOR $f^{-1}(x)$, YOU SIMPLY INPUT IT INTO A SEPARATE Y -EDITOR SLOT ON YOUR CALCULATOR (E.G., $Y2$), JUST AS YOU WOULD ANY OTHER FUNCTION. THEN, YOU CAN GRAPH BOTH $Y1$ (ORIGINAL FUNCTION) AND $Y2$ (INVERSE FUNCTION) TOGETHER.

Q: MY CALCULATOR SHOWS THAT $f(f^{-1}(x)) = x$, BUT NOT $f^{-1}(f(x)) = x$. WHAT COULD BE WRONG?

A: THIS USUALLY MEANS THERE'S A RESTRICTION ON THE DOMAIN OF THE ORIGINAL FUNCTION THAT IS AFFECTING ONE OF THE COMPOSITIONS. WHILE THE ALGEBRAIC INVERSE MIGHT BE CORRECT, THE COMPOSITION $f^{-1}(f(x)) = x$ WILL ONLY HOLD TRUE FOR VALUES OF x WITHIN THE RESTRICTED DOMAIN OF $f(x)$. ENSURE YOU'RE CONSIDERING THE DOMAIN OF THE ORIGINAL FUNCTION WHEN CHECKING COMPOSITIONS, AND THAT YOUR CALCULATOR IS DISPLAYING THE APPROPRIATE DOMAIN FOR THE GRAPHS.

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